

INSTRUCTIONS FOR USE OF SLIDE RULE

STEP 1

Determination of thermal expansion.

- Move the slide until the piping length coincides with the arrow on the fixed part.
- Move the transparent slide until its reference line coincides with the temperature used. For piping in unalloyed or low-alloyed steel, work on the upper temperature scale, for that in austenitic stainless steel, work on the lower scale.
- Read the expansion of the piping at +20°C indicated by the reference line on the transparent slide. If the temperature used is lower than +20°C, the expansion values read are understood to be negative or to be contractions in the piping.
For example: a piping length of 10 m operating at a temperature of +150°C will undergo an expansion of 15.8 mm if in unalloyed steel and 22.4 mm if in stainless steel.
 The same piping operating at -50°C will undergo a contraction of 7.47 mm if in unalloyed steel and 11.3 mm if in stainless steel.

STEP 2

Determination of end thrust of expansion joints.

- Move the slide until the pressure value coincides with the arrow on the fixed part.
- Corresponding to the nominal diameter ND , read the end thrust of the expansion joint.
For example: with a pressure of 15 Ate and an expansion joint of $ND = 500$, the end thrust will be 34000 kg.

STEP 3

Layout of hinged expansion joints.

- The assembly distances of the hinged expansion joints are calculated with reference to the shafts of their hinges.
- Total thermal expansion must include that of the parts of piping in which the expansion joints are inserted.
- In the case of predeformation of the expansion joints, to obtain the assembly distances, multiply the expansion values by the greater of the two factors

$$\left(1 - \frac{P}{100}\right); \frac{P}{100}$$

in which P indicates the acceptable predeformation expressed as a percentage of total expansion.

- Place the total expansion value $\Delta_1 + \Delta_2$ or $\Delta_1 + \Delta_3$ to correspond to the hinge run α_2 .
 Read the value of a indicated by the arrow: for the triple group, L if $a < b$, assume that $a = b$.
- Place the value of b to correspond to $\frac{\Delta_1}{\Delta_2}$ and read the value

of $c - a$ indicated by the arrow.

For example: we want to calculate the assembly distance for a group of three expansion joints at L having the following:

maximum hinge run	$\alpha_2 = 6''$	radius of curve $r = 450$ mm
thermal expansion $\Delta_1 = 400$ mm		length of expansion joint $l = 600$ mm
thermal expansion $\Delta_2 = 450$ mm		pretension $P = 30\%$

data:

$$(\Delta_1 + \Delta_2) \left(1 - \frac{P}{100}\right) = 500 \cdot 0.7 = 350 \text{ mm}$$

$$\frac{\Delta_2}{\Delta_1} = \frac{400}{600} = 0.25$$

$$b = 450 + \frac{350}{2} = 750 \text{ mm}$$

From this, we get:

$$a = 3350 \text{ mm}$$

$$c - a = 185$$

From which:

$$c = 3350 + 185 = 3535 \text{ mm}$$

STEP 4

Determination of the supports span.

A) Deflection function.

Place the value of weight q to correspond to the coefficient of expansion E of the material at the temperature of the piping. Read the value of L/D corresponding to the thickness s .
For example: a pipe thickness of 4 mm with a diameter of 100 mm, weight q of 20 kg/m and a coefficient of expansion of $E = 20.000 \text{ kg/mm}^2$ will allow an $L/D = 52.5$.

This means that if $D = 100$ mm, the maximum span L acceptable will be 5250 mm.

B) Stress function.

Place the thickness of the piping to correspond to the value of L/D calculated in A). Read the stress σ due to the weight q of the piping.

For example: going back to the piping in the previous case, let us put the thickness 4 to correspond to $L/D = 52.5$ and we read a $\sigma = 1.9 \text{ kg/mm}^2$ corresponding to $q = 20 \text{ kg/m}$.